

User Manual - Module vectors32

- Module name vectors32
- class name Vector
- Purpose - Vector algebra, including the scalar (dot) product and vector (cross) product

Instantiation

Let a , b , and c be 3 D vectors with components $a.x$, $a.y$, $a.z$, $b.x$ etc. a and b are created by class instantiation as follows. First import the module and create local copy of the class Vector:

```
from vectors32 import vectors32
Vector = vectors32.Vector
```

Now a vector can be created by instantiating the Vector class as:

```
a = Vector(x, y, z)
```

where x , y and z are the respective components which can be accessed as $a.x$, $a.y$, $a.z$.

Examples

In the following we are providing examples. Preferably, the examples should be entered by hand in the Python Shell of the "Idle" IDE. They can also be entered into a Python Shell that opens up on the terminal after Python has been invoked. At this stage all examples are solved by Python 3.2.

Example

```
>>> v1 = Vector(2.0, 3.0, 4.0)
>>> v2 = Vector(6.6, 5.5, 4.5)
>>> print(v1)
Vector(2.0, 3.0, 4.0)
>>> print(v2)
Vector(6.6, 5.5, 4.5)
```

Notice that print command indicates that it is a "Vector" and shows all three components. A more detailed output could be produced by in output as follows:

```
print('v2 = ', v2)
v2 = Vector(6.6, 5.5, 4.5)
```

A vector of zero components could be created as:

```
z = Vector()
```

A vector length ("size") is a property easily obtained in the following example.

Example

```
>>> v3 = Vector(5.0, 6.0 ,7.0)
>>> print(v3)
Vector(5.0, 6.0, 7.0)
>>> v3.size
10.488088481701515
```

Vector normalisation is also provided for. (Normalized vector has the same direction as the original vector, but is of a unit length.)

Example

```
>>> v4 = v3.normalize
>>> print(v3)
Vector(5.0, 6.0, 7.0)
>>> print(v4)
Vector(0.476731294623, 0.572077553547, 0.667423812472)
```

Vector addition and subtraction

```
c = a + b
c = a - b
```

Examples

::

```
>>> w1 = v1 + v2
>>> w2 = w1 - v2
>>> print(w1)
Vector(8.6, 8.5, 8.5)
>>> print(w2)
Vector(2.0, 3.0, 4.0)
```

Multiplication, all forms

Pre-multiply a vector with a scalar (either float or int), then post-multiply a vector with a scalar-

Examples

```
>>> w1 = 2 * v1
>>> print(v1)
Vector(2.0, 3.0, 4.0)
>>> w2 = v2 * 2
>>> print(w2)
Vector(13.2, 11.0, 9.0)
>>> w1 = v1 * 1.5
>>> print(w1)
Vector(3.0, 4.5, 6.0)
```

Scalar Product of two vectors.

Scalar (aka dot) product is the sum of the products of $\text{self.x} * \text{other.x}$, $\text{self.y} * \text{other.y}$, $\text{self.z} * \text{other.z}$. It a scalar. In engineering Structure Analysis Scalar products are useful in calculation of the direction cosines of members or of generalized forces.

Example

```
# Scalar (dot) product.  
# The result is scalar.  
>>> s = v1 * v2  
>>> print(s)  
47.7  
>>> s = v2 * v1  
>>> print(s)  
47.7
```

Finally, a vector (aka dot) product is a vector at right angles to the two source vectors. A useful property is $a \times b == -(b \times a)$. We indicate a vector product operator by "**".

Example

```
# Vector (cross) product.  
>>> v1 = Vector(1, 2, 3.0)  
>>> v2 = Vector(7., 6, 5)  
>>> w1 = v1 ** v2  
>>> print(w1)  
Vector(-8.0, 16.0, -8.0)  
>>> w2 = v2 ** v1  
>>> print(w2)  
Vector(8.0, -16.0, 8.0)
```

To be continued

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